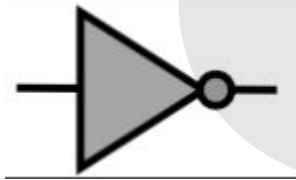


5 binary logic gates

AND

Input A	Input B	Output Q
0	0	0
0	1	1
1	0	1
1	1	1



XOR

Boolean identities and rules

AND

OR

Commutative law

$$A \cdot B = B \cdot A$$

$$A + B = B + A$$

Associate law

$$(A \cdot B) \cdot C = A \cdot (B \cdot C)$$

$$(A + B) + C = A + (B + C)$$

Distributive law

$$(A + B) \cdot C = (A \cdot C) + (B \cdot C)$$

$$(A + B) \cdot C = (A + B \cdot C) + (B \cdot C)$$

Identity law

$$A \cdot 1 = A$$

Zero and 1 law

$$A \cdot 0 = 0$$

Inverse law

$$A \cdot \bar{A} = 0$$

Idempotent law

$$A + A = A$$

Absorption law

$$A(A + B) = A$$

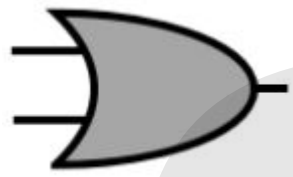
Double complement law

$$\bar{\bar{A}} = A$$

5 binary logic gates

AND

Input A	Input B	Output Q
0	0	0
0	1	0
1	0	0
1	1	1



XOR



Boolean identities and rules

AND

OR

Commutative law

$$A.B = B.A$$

Associate law

$$(A._) . C = _ . (_ . _)$$

$$(A+B)+C = A+(B+C)$$

Distributive law

$$(_ + _) + C = (_ + _) . (B + _)$$

$$(A+B).C = (A.B)+(A.C)$$

Identity law

$$A.1 = A$$

Zero and 1 law

$$A.1 = 1$$

Inverse law

$$A . \bar{A} = 0$$

Idempotent law

$$A + A = A$$

Absorption law

$$A(A+B) = A$$

Double complement law

$$\bar{\bar{A}} = A$$

Using the following identities:

$$P \cdot 1 = P$$

$$P \cdot Q + P \cdot R = P \cdot (Q + R)$$

$$P + \bar{P} = 1$$

simplify the Boolean expression:

[3]

$$X = A \cdot B + A \cdot \bar{B}$$

Complete the following truth table.

[4]

P	Q	$P + Q$	$P \cdot Q$	$\overline{P \cdot Q}$	$\overline{P \cdot Q} + (P + Q)$
1	1				
1	0				
0	1				
0	0				

Draw a truth table for the expression:

[4]

$$X = A \cdot B + A \cdot \bar{B}$$

(a) (i) Complete the following truth table.

[4]

A	B	\bar{B}	$A \cdot B$	$A \cdot \bar{B}$	$B + (A \cdot \bar{B})$
1	1				
1	0				
0	1				
0	0				

(ii) Use this truth table to simplify the expression.

[1]

$$B + (A \cdot \bar{B})$$

.....

.....

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